Fig. 5 shows a boot sole with steel calks attached, for the use of pedestrians in winter weather or when scaling the

Fig. 5.

## nowy tops of mountains or

 crossing glaciers. calks are readily arranged to screw into plates fast ened to thesoleand heel of the boot, and are then re movable at will. In walk ing over ice, these or similar appliances are indispen-to better their condition, gave in lower prices; Tom, how ever, kept the lead, always managing by shrewdness, luck,
or whatever else it may be termed, to take every job he bid or whatever else it may be termed, to take every job he bid for. Nothing daunted, however, his fellow workmen continued to compete, thus compelling Tom to either reduce his prices or lose the work. Some of the competitors bid because they would be satisfied if, by working piecework they could increase their pay only twenty.five per cent others competed upon general principles,saying that, if Tom could do it, they could. At length, however, Tom's repeated success discouraged competition, not, however, withou raising some little feeling among the men, on account of his having, as was charged, cut the prices of the work down This charge was scarcely fair, since it was in consequence of the competition of others that the prices had been reduced. It cannot, however, be denied that, since Tom was always the lowest, he was the most instrumental in the reduction of prices, notwithstanding the fact that his price was as a rule
remarkably close to the next lower one. But the feeling remarkably close to the next lower one. But the feeling among the men did not amoraiding Tom by statements that he was ruining the trade and injuring the other workmen. At length, however, Tom began to make from 60 to 70 per cent more than his day's wages would have been: and this notwithstanding that the prices of his work had been very materially reduced since the piecework began. He inno cently believed that the unusually low cost of his work, and the unp sually large amount of his earnings, would open the eyes of his employers to his expertness, to the methods by which he saved time and work, or to whatever other cause may have enabled him to do so well. How far this was the case, he learned by an intimation that the prices of his work must be rednced because no piecework man was allowed in
that shop to earn more than 50 per cent more than his ordinary daily woages. He pleaded that the cost of his work was at least 50 per cent less than the large quantity of the same kind of work being done in the same shop by men who had had from 7 to 15 years' experience on it. He was told it didn't matter what time the day's work men had taken, nor what their work had cost, or was now costing; he was nuaking too much money, and must reduce his prices. He urged that, since no one else would take the work at so low a price as his, he could not perceive why he should be called upon to still further reduce the price; and he was informed that he must either reduce the prices of all those kinds of work on which he earned more than 50 per cent above ordi nary day's wages, or else he would be put back to day' work on his old day wages; and as an alternative he had to reduce the prices.
Now, this was not a new shop, or one in which a constan change of work was had; but, on the contrary, there had probably never been, at any one time during the then pre ceding 15 years, less than 70 workmen in that shop who were employed on the same kind of work, many of whom had been engaged for years on precisely the same jobs from the selfsame drawings. Tom learned from the old hands that similar rules with regard to the amount of earnings of piecework men existed throughout England, that the rules were a sort of tacit understanding, and that as a conse quence piecework men who had any wisdom in them gaged it so as to never exceed the aloted amount of "time and a half," as it is called.
At this time Tom's refections were anything but rosecolored, as he had commenced with the idea of being an example to other men and a student of his employers' interest; but although he had practically demonstrated the identity of interests of the employer and the employed, he had advanced sufficiently far in his programme to be on questionable terms with many of his fellow workmen, and at loggerheads with his employers. His situation, so far as his personal relations with his business acquaintances were concerned, threatened ostracism; he felt almost like a crimi nal, and was only consoled by the consciousness that, in his own mind, he could not believe that doing a large amount of labor for an unusually small price, which is perhaps the most severe language in which his struggle to better his condition can be termed, deserved the meted punishment. "So much work for so much money," and "the more the work, the more the money," sounded exceedingly well as aphorisms; but when the workmen shouted: "No extra work, and no extra pay," and the employer added: "No more pay, however much more work you may do," and (in the same breath) "less pay for more work for you only," it became exceedingly difficult for Tom to put his theory of identity of interests into any sort of practice. Tom found himself, according to the ordinary rules of com merce, the very worst paid man in the shop. In every artimerce, the very worst paid man in the shop. In every arti-
cle (as his work may be termed) he sold, he obtained a less price than any one else, and was at the same time grumbled at and virtually punished by the purchaser (his employer), because he had so many articles to sell; while that same purchaser was buying the same quality and kind of articles from others on the same spot at a much higher price. He, however, resolved to persevere in his course, and let the
future take care of itself, with such results as I will de future take care of scribe in another lette
New York city.
A simple mode of roughing horses, practised in Russia consists in punching a square hole in each heel of the shoe which, in ordinary weather, may be kept closed by a plece of cork. When the ground is slippery, the cork is re moved, and a steel spike inserted. If this steel rough be made to fit the hole exactly, it remains firm in its place and is not liable to break off short at the neck, like some of the screwed spikes.

## practical mechanism.

by joshua rose
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to divide a circle into any number of equal parts. When a circle requires to be marked with a number of oles equidistant from each other, it is a very difficult mat er to set the compasses so that, commencing at any one oint and marking off the centers of the holes continuousl one direction, the last center marked will come true wit he one first marked : because, if the points of the compasse re only one half the thickness of a line out, the error be comes, supposing the circle to require 60 holes around it, 60 mes as great in the distance between the center last marked nd the starting point.
The consequence is that it is almost impracticable to mark off any large number of holes in such a manner, not only on account of the frequent trials necessary to obtain so fine an adjustment of the compass points, but becaus the frequent trials will leave upon the surface of the work so many compass marks that those last made become almost indistinguishable from the other and incorrect ones. By the ollowing method, however, such holes may be marked off ufficiently correctly for all practical purposes, and more ex editiouslythan by any other means:
Let us suppose that it is required to mark off 60 equidis ant holes upon a circle 30 inches in diameter. Our first pro edure will be to ascertain at about what distance to set the compasses, so as to be nearly correct at the first trial. The oost natural way would be to find the circumference of the ircle, which is $94 \cdot 248$, and divide it by the number of holes, 0, which will give us 15708 as the distance between the enters of neighboring holes. The difficulty, however, of serting the compasses to the distance represented by the de cimal fraction becomes apparent; and though this plan gives as near a result as any that can be arrived at, even in those cases in which the diameter of the circle may contain fracions of an inch and the number of holes required may be an dd one, still, in the matter of our example and, in fact, in 11 circles of whatever diameter, if the required number of holes is even, we may adopt a much better plan as follows: We know that the radius of any circle will divide its cir umference into six equidistant points; and since we require en times as many of such points, we have only to divide he radius of our circle into 10 equal parts to get the required distance, between the compass points, more correctly than by any other method. In many cases a simple mental cal culation will give us the required distance. If, for exam ple, our 30 inch circle requires to be divided into 18 equi distant points, we would say: If the radius ( 15 inshes) of the circle gives us 6 points, one third of it, 5 inches, will give us 18 holes. Such instances are, however, the exceptions nd it is therefore necessary, in all cases where the required umber of holes or points is an odd one, to divide the cir umference by their number; and if an even number be re quired, to divide it into the radius of the circle, which may be do $1 e$ readily enough if the number of boles is small, bu f they are many, the following method is the most expedi tious: In Fig. 200, let A B represent the radius, 15 inches, of

our circle, and therefore the distance between any two points when the circle is marked off into 6 equal divisions. It is pparent, then, that each of such divisions will require to contain ten equidistant points, which we mark oft as fol lows: Setting the compasses as near as practicable to $\frac{1}{10}$ of the radius of our circle, we commence at A, and mark on one side of the line only the line, $C$. and from that the line, $D$, nd so on up to $G$. Then recommencing at $B$, we mark off in like manner the lines, $H, I$, etc., up to $L$, and the exac n like manner the lines, $H, I$, etc., up to L , and the exact
center between the lines, $G$ and L , will be the true position center between the lines, $G$ and $L$, will be the true position
for the center hole, notwithstanding that none of the other for the center hole, notwithstanding that none of the other
points are in their proper positions, nor at proper distances points are in their proper positions, nor at proper distances
apart. We now note that, as the lines, $G$ and $L$, overlap ne another, the compass points were a shade too wide open This defect we remedy to the best of our judgment; and tarting from the center point, between $L$ and $G$, we mark off the lines, $M, N$, and $O$, on one side, and $P, Q$, and $R$, on the other. Then commencing again at $A$, we mark off the ines, $S$ and $T$, and then from $B$, the lines, $U$ and $V$ : the unction of the lines, $T$ and $R$, forming another true point, nd that of $O$ and $U$ forming another, the fifth practically rue division. It will be resdily observed that, by marking he lines, from $C$ to $L$, on one side only of the line repre enting the radius of our circle, and then subsequently mark ing the lines, from $O$ to $V$, on the other side only of the said radius line, we keep them distinct, and are enabled readily o perceive the difference between them. For all ordinary purposes our compasses will now be set sufficiently exactly but if a greater number of holes be required, we make a ligh centerpunch mark at the points, $A$ and $B$, and at the junc ion, in the center of the nearest approach of the lines, $T$ $\mathrm{R}, \mathrm{O}$, and U ; and rubbing out or chalking over all the lines save the one representing the radius, we proceed as above to mark out other holes to justify the compass points' distance. The centerpunch marks, however, should be made very lightly, and all of about one depth. If this second adjustment is necessary, it may be concluded by commencing at A and continuing on to B , so as to have the longest possible distance for the justification.

Whenever the number of holes required is a multiple or to $T$ : thus obtaining the point, $K$. This method, however divisor of the diameter of the circle, we may obtain the first expeditious and correct for certain work, is not applicable to approximate distance of the compasses as follows: Every circumferential work in which the distance between two of inch of the diameter of the circle represents $3 \cdot 1416$ inches of the adjacent points is at the most $\frac{1}{20}$ of the circumference of its circumference; and since, in our example, the diameter the circle; because the angle of the surface of the metal to of the circle is supposed to be 30 inches and the number of, the compass point causes the latter to spring wider open in holes required is 60 , it is evident that every 31416 inches of consequence of the pressure necessary to cause the compass the circumference will have to contain 2 holes; and there point to mark the metal. This will be readily perceived on fore $3 \cdot 1416 \div 2=$ the proper distance of the compass points. | reference to Fig. 204, in which A represents the stationary Had the number of holes required been 30 instead of 60 , their and B , the scribing or marking point of the compasses. distance from center to center would be $3 \cdot 1416$ inches, while Having found the $t$ wo diametrically opposite points, $\mathrm{A}, \mathrm{K}$ had their number been 15 their distance from center to cen- we note how much out of true the two lines last marked, E ter would be 6.2832. Now supposing the compasses to be and I, in Fig. 201, vars, and we alter the compass points (in set as nearly as possibly correctly, we proceed upon our cir- this case) to $\frac{-1}{60}$ of the variation, that is, we divide the amount cle as follows: Commencing at A, Fig. 201, we mark off

continuously one from the other, and taking care to be very exact in placing the point of the compasses exac ly on the mark at its junction with the circle) the 30 points, $\mathrm{B}, \mathrm{C}, \mathrm{D}$ etc, ending at E. Then commencing again at $A$, we mark off continuously and equidistantly the 30 marks, $\mathrm{F}, \mathrm{G}, \mathrm{H}$, etc, ending at $T$; and the center, $K$, between the two lines, E and I, will be the true position of the point diametrically opposite to the pcint, A, from which we started.
It will be perhaps observed by the reader that it would be more expeditious and perhaps cause less variation were we to set the compasses to the radius of the circle and mark off the point, K, as shown in Fig.202, commencing at the point,


A , and marking off on the one side the lines, $\mathrm{B}, \mathrm{C}$, and D , and on the other side, $E, F$, and $G$, the junction or center, between $G$ and $D$, at the circle being the true position of the point, K. For circles struck upon flat surfaces, this plan is decidedly advantageous; and in cases where there are not at hand compasses large enough, a pair of trammels may be used for the purpose; but our instructions are intended to apply also to marking off equidistant points on such circumferences as the faces of pulleys or on the outsides or insides of rings or cylinders, in which cases the use of compasses or gages is impracticable. The experienced hand may, it is true, adjust the compasses as instructed, and mark off three or four of the marks, B, C, D, etc., in Fig. 201, and then open out the compasses to the distance between the two extreme marks, and proceed as before to find the center, K , but as a rule, the time saved will scarcely repay the trouble; and all that can be done to save time in such cases is, if the holes come reasonably close together, to mark off, after the compasses are adjusted, three or four spaces, as shown in Fig.

203. Commencing at the point, A, and marking off the points, B, C, and D, we then set the compasses to the distance between $A$ and $D$, and then mark, from $D$ on one side and from $A$ on the other, the marks from $F$ to $L$ and from $M$
of the variation between them, by the number of holes or points required ; and setting our compasses as nearly as our judgment dictates, we mark off our next two points, as shown in Fig. 205 Commencing at A, we mark off (on the other

side of the circle, so as to keep them distinct from the marks previously made) the lines, B, C, etc., as far as the line, $G$ that is to say, we make as many of such marks as are equal to one quarter of the whole number required. The object of showing a less quantity in Fig. 205 is to keep the illustra tion distinct and clear. Then we start from the point, $K$, and mark off the same number of points, represented by the lines, $H, I$, and ending at $M$; the center between the lines, $G$ and $M$, at their nearest point of contact, is the true posi tion of point No. 3, the point, A, being No. 1, and K, No. 2 By proceeding in a similar mavner on the other half of the

circle, we get the true position of point No. 4. If, in oblain ing points 3 and 4, the compasses are not found to be set dead true, the necessary adjustment must be made; and it will be seen that, so far, we have obtained four true positions, and the process of obtaining eacd of them has served as a justification of the distance of the compass points. From these four points, we may proceed in like manner to mark off the holes or points between them; and the whole will be as true as it is practicable to mark them off upon that size of circle. In cases, however, where mathematical precision is required upon flat and not circumferential surfaces, the marking off may be performed upon a circle of larger diameter, as shown in Fig. 206. It it is requirtd to mark off the

circle, A, Fig. 206, into any even number of equidistant points, and if, in consequence of the closeness together of the points, it becomes difficult to mark them (as described) with the compasses, we mark a circle, B B, of larger diameter, and perform our marking upon it, carrying the marks across the smaller circle with a straight edge placed to intersect the centers of the circles and the points marked on each side of the diameter. Thus, in Fig. 206, the lines 1 and 2 on the smaller circle would be obtained from a line struck through 1 and 4 on the outer circlo; and supposing the larger circle to be three times the size of the smaller, the deviation
from truth in the latter will only be $\frac{1}{8}$ of whateverit is in the former. If the number of points to be marked off on any circle is an odd one, the only variation from the above in structions is as follows: Suppose that we have commenced at the point marked 1, in Fig. 207: we mark off half the re-

quired number of holes on one side and arrive at the point 2; and then, commencing at the point 1 again, we mark off the other half of the required number of holes, arriving at the point 3. We then apply our compasses to the distance between the points 2 and 3; and if that distance is not ex actly the same to which the compasses are set, we make the necessary adjustment, and try again and again until correct adjustment is secured. It is highly necessary, in this case, to make the lines drawn at each trial all on the same side of the circle and of equal length. For example, let the lines A, B C, D, in Fig. 207, represent those made on the first trial, and E, F, G, and H, those made on the second trial; and when the adjustment is complete, let the last trial be made upon the outside or other side of the circle, as shown by the lines, I, J, K, L. Having obtained the three true points, marked 1, 2 , and 3 , we proceed to mark the interme diate holes, as described for an even number of holes, save that there will be one more mark made on one side of holes 3 and 4 than there are on the other side of them. In cases where mathematical exactitude is not a requisite, and an odd number of holes is required, after setring the compass points as nearly true as necessary, and obtaining from them the points 2 and 3 , we may take another pair of compasses, and find with them the center between points 2 and 3 . Then taking the first and adjusted pair of compasses, we make mark, as shown in Fig. 208. We first draw the line, E, and, resting one leg of the compasses on the compasses on draw the segment of a citcle, B; then of a citcle, B; then
resti ag the point of the compasses on the point of inter section of $B$ and $E$, we draw the segment of a circle, C. The distance, at E, between the two segments, B and C, repre sents the required distance apart of the holes. We now take our extra pair of compasses, and find the center of $B$ and $C$, as denoted by the point, $F$, setting the compasses to the exact center, so that, when one point rests on $F$, the other will come fair with the lines, B and C. We turn to our work represented on Fig. 207; and from the center found between points 2 and 3, we make, with our extra pair of compasses, a mark on each side of that center, which will represent the correct position of points 2 and 3 ; and we then correct the variation between them nearly enough for ordinary purposes without the tedious process of going over the whole ground again, because the distance between points 2 and 3 was not precisely correct.
In marking off any number of holes varying in their distances one from the other, the variation being regular, a for instance holes around a 30 inch circle, 60 in number but each two holes being 157 inches apart, the distance between the next two would require to be 1 inch , and so on, as shown in Fig. 209. The total number of boles must in this case be an even one ; hence we mark off, by the rules already given, one half of that tutal number, making them equidistant all round the circle or circumference, as the case may be, which points will represent the distance apart of the holes that are widest apart, as the holes, A, B, C, D, and E, in Fig. 209,

amounting in our example to 30 in number. We then set our compasses to the required distance apart of the two holes nearest together ; and commencing at A in Fig. 209, we mark the center for the hole, $F$, and from the center of the hole $B$, the center of the hole, $G$, and so on, continuing all round the circle, but taking care to mark the new center in each case in advance of or behind the points, A, B, C, etc., according to the manner in which the first of the holes nearest to gether was marked. Thus in Fig. 209, the points, F, G, H, and 1 , are marked to the right, in each case, of the points from which they were struck.
There are of course many variations in the grouping of holes around a circle, but all the principles involved in marking them off are shown in the examples given above.

